

Characteristics of Polynomials

Degree (highest exponent)	Name (# of terms)
Linear (x)	Monomial (1 term)
Quadratic (x ²)	Binomial (2 terms)
Cubic (x ³)	Trinomial (3 terms)
Quartic (x ⁴)	Polynomial (4+ terms)
Quintic (x ⁵)	

Domain is ALWAYS: (____, ____)

Intercepts:

x-intercept(s):

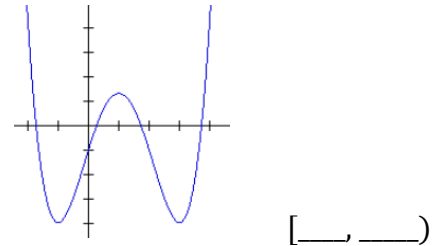
y-intercept:

Symmetry:

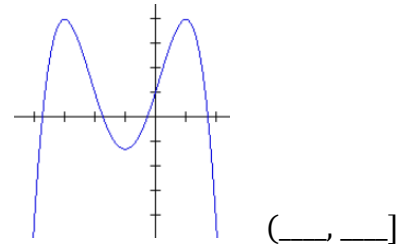
EVEN	ODD	NEITHER

Range is:

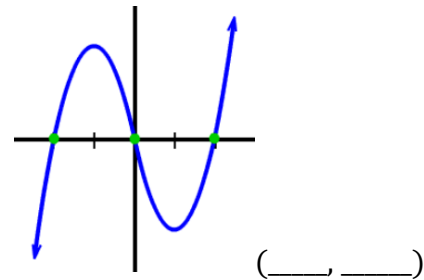
Ends of the graph point up:



Ends of the graph point down:



Ends of the graph point opposite:



End behavior (based on what the graph/equation looks like):

	<i>Even</i> Degree	<i>Odd</i> Degree
+ leading coefficient (LC)	LEFT End Behavior: ∞ RIGHT End Behavior: ∞	LEFT End Behavior: $-\infty$ RIGHT End Behavior: ∞
- leading coefficient (LC)	LEFT End Behavior: $-\infty$ RIGHT End Behavior: $-\infty$	LEFT End Behavior: ∞ RIGHT End Behavior: $-\infty$

Even Degree

Odd Degree

Absolute Maximum:			
Absolute Minimum:			
Relative Maximum:			
Relative Minimum:			
Interval of increase:			
Interval of decrease:			

Examples:

Identify the characteristics of the given graphs:

Degree & Name		Absolute Maximum	None	$f(x) = x^3 + 3x^2 - x - 3$
Domain	(__, __)	Relative Maximum	(__, __)	
Range	(__, __)	Absolute Minimum	None	
y-intercept	(__, __)	Relative Minimum	(__, __)	
x-intercept(s)	(__, __), (__, __) (__, __)	Interval of Increase	(__, __) & (__, __)	
Left end behavior	As $x \rightarrow -\infty, y \rightarrow __$	Interval of Decrease	(__, __)	
Right end behavior	As $x \rightarrow \infty, y \rightarrow __$	Symmetry (even, odd, Neither)		

Degree & Name		Absolute Maximum	None	$f(x) = x^4 + 2x^3 - x^2 - 2x$
Domain	(__, __)	Relative Maximum	(__, __)	
Range	(__, __]	Absolute Minimum	(__, __) & (__, __)	
y-intercept	(__, __)	Relative Minimum	(__, __) & (__, __)	
x-intercept(s)	(__, __) (__, __) (__, __) (__, __)	Interval of Increase	(__, __) & (__, __)	
Left end behavior	As $x \rightarrow -\infty, y \rightarrow __$	Interval of Decrease	(__, __) & (__, __)	
Right end behavior	As $x \rightarrow \infty, y \rightarrow __$	Symmetry (even, odd, Neither)		